



DE LA SALLE UNIVERSITY – MANILA
COLLEGE OF SCIENCE
Mathematics Department

SYLLABUS

COURSE CODE	MTH673M/D
COURSE TITLE	Mathematics of Chemical Reaction Network
CLASS DAY & TIME	
ROOM	
NAME OF FACULTY	
COURSE CREDIT	3 Units
CONTACT NO. (DEPT)	(02) 536-0270, (02) 524-4611 loc. 420/413
TERM/SCHOOL YEAR	

COURSE DESCRIPTION

The mathematical theory of chemical reaction networks is unique in several ways: it has had good coverage in high impact science journals such as PNAS, Nature and Science, was pioneered and sustained by chemists and chemical engineers over decades until mathematicians started applying it to biological systems over a decade ago and is now emerging as a valuable contribution to Synthetic Biology. Most recently, the application of the “reaction kinetics” paradigm to ecology, epidemiology and the social sciences (via evolutionary game theory) has been proposed. The field has experienced tremendous growth in the last five years, with over 200 research papers in journals in mathematics, biology, chemistry and chemical engineering, physics and computer science.

The entirely new course intends to provide a comprehensive introduction to both the “classical” results (mainly developed by chemical engineers 1972 – 2000) and new developments in the field (since its application to biology in 2001). Important network properties such as multistationarity (existence and number of equilibria), persistence (non-extinction of species) and robustness have been successfully studied using a combination of methods from linear algebra/matrix theory, graph theory, ordinary differential equations/dynamical systems and most recently, algebraic geometry.

PREREQUISITES: Lecturer’s consent to be based on the student’s knowledge of linear algebra/matrix theory, fundamentals of graph theory and ordinary differential equations. Topological concepts needed, will be covered in short tutorials within the course.

COURSE OBJECTIVES

The students will:

1. Appreciate the “classical” results (mainly developed by chemical engineers 1972 – 2000) and new developments in the field (since its application to biology in 2001).
2. Identify network properties such as multistationarity (existence and number of equilibria), persistence (non-extinction of species) and robustness.
3. Apply mathematical concepts to biological/ecological systems.
4. Seek opportunities for research with mathematical, computational or biological application focus.
5. Exhibit values like:
 - cooperation through group study;
 - honesty by claiming credit only for the work he has done;
 - zeal and seriousness of intent to learn by participating actively in class discussion, doing his homework

COURSE REQUIREMENTS

- Oral Report 20%
- Written Report 10%
- Problem Set 70%

SOURCES

- Feinberg M., *Cooperating in Genetic Systems*. Arch. Rat. Mech. Anal. 49 (1972) 187-194.
- Feinberg M, Horn FJM. *Chemical equilibrium structure and the coincidence of the stoichiometric and kinetic susceptibilities*. Arch. Rational Mech. Anal. 66 (1977): 83-97
- Feinberg M, Horn FJM. *Dynamics of open chemical systems and the generic structure of the underlying reaction network*. Chemical Engineering Science 29 (1977): 775-787.
- Feinberg M. *Mathematical aspects of reaction kinetics* *Chemical Reaction Theory A Review* (L. Lapidus, N. Amundson, Eds. Prentice Hall 1977, pp 1-78.
- Feinberg M. *Lectures on Chemical Reaction Networks* University of Wisconsin 1979.
- Feinberg M. *Chemical oscillations, stability, and reaction network structure*. In Warren E. Stewart, W. Harmon Ray, and Charles C. Conley, editors, *Dynamics and Modeling of Reactive Systems*, pages 59–130. Academic Press, New York, 1980.
- Feinberg M. *Chemical reaction network structure and the stability of complex isothermal reactors I The deficiency zero and deficiency one theorems*. Chemical Engineering Science 42 (1987) 2229-2268.
- Feinberg M. *Necessary and sufficient conditions for detailed balancing in reaction systems of arbitrary complexity*. Chemical Engineering Science 44 (1989): 819-1827.
- Feinberg M. *Some recent results in chemical reaction network theory* In *Patterns and Dynamics in Reactive Media* (eds. R. Aris, D.G. Aronson and H. Swinney). IMA Volumes in Mathematics and its Applications, V. 37, 43-70, Springer Verlag, Berlin 1991.
- Feinberg M. *The existence and uniqueness of steady states for classes of chemical reaction networks*. Archive for Rational Mechanics and Analysis 132 (1995): 311-370.
- Feinberg M.

Chair, Mathematics Department

DR. JOSE SANTOS R. CARANDANG VI
Dean, College of Science